

$$b = \frac{1}{N_H} \sum_{n \in H} \left(t_n - \sum_{m \in S} a_m t_m k(\underline{x}_n, \underline{x}_m) \right)$$

M SET OF POINTS OF
 $0 < a_n < C$

PROBLEM: EFFECTIVE SOLUTION METHODS

$K > 2$ MULTI CLASS SVM-S

- K SEPARATE SVM $y_k(\underline{x})$ $C_k (+)$ OTHER $(K-1)C_k (-)$

$$y(\underline{x}) = \max_k y_k(\underline{x})$$

ONE-VS-THE REST

→ MANY PROBLEMS

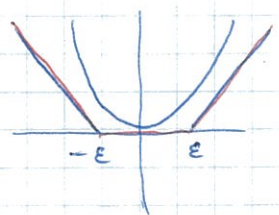
- $K(K-1)/2$ DIFFERENT 2-CLASS SVM - ONE-VS-ONE

+ SOME KIND OF VOTING

- SINGLE-CLASS SVM - BOUNDARY OF THE PERCENTILE OF CLASS DISTRIBUTION

SVM FOR REGRESSION (CH. 7.1.4)

$$\frac{1}{2} \sum_{n=1}^N \{y_n - t_n\}^2 + \frac{\lambda}{2} \|\underline{w}\|^2 \rightarrow \boxed{C \sum_{n=1}^N E_\epsilon(y(\underline{x}_n) - t_n) + \frac{\lambda}{2} \|\underline{w}\|^2}$$



$$E_\epsilon(y(\underline{x}) - t) = \begin{cases} 0 & \text{if } |y - t| < \epsilon \\ |y(\underline{x}) - t| - \epsilon & \text{otherwise} \end{cases}$$

E-INSENSITIVE ERROR FUNCTION

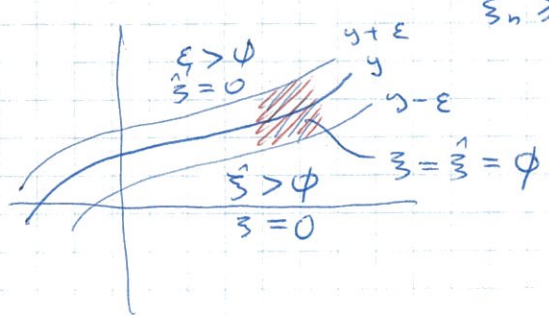
SLOUCH VARIABLES:

$$\begin{aligned} \xi_n &\geq 0 \\ \hat{\xi}_n &\geq 0 \end{aligned}$$

$$t_n > y(\underline{x}_n) + \epsilon$$

$$t_n < y(\underline{x}_n) - \epsilon$$

E-TUBE



$$\begin{cases} t_n \leq y(\underline{x}_n) + \epsilon + \xi_n \\ t_n \geq y(\underline{x}_n) - \epsilon - \hat{\xi}_n \end{cases}$$